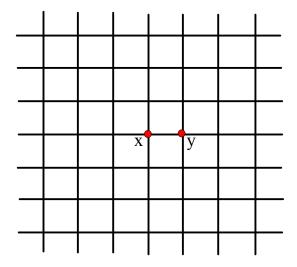
There is an infinite wire grid with square cells. The resistance of each wire between neighbouring joint connections is R. Find the equivalent resistance of the whole grid between points x and y.



## Solution

Normally, resistive network problems are solved when steady-state is reached after the battery is connected. However, for this problem let us find equivalent resistance by transient-state analyses. Resistance is not affected whether it is steady-state or transient-state.

Let us place charge  $\Delta q$  at point x alone. This charge will get distributed equally in four directions. Charge that flows towards y =  $\frac{\Delta q}{4}$ .

Likewise, let us place charge  $-\Delta q$  at point y alone. This charge will get distributed equally in four directions. Charge that flows towards  $x = -\frac{\Delta q}{4}$  or charge that flows towards  $y = +\frac{\Delta q}{4}$ .

When charge  $\Delta q$  is placed at point x and charge -  $\Delta q$  is placed at point y simultaneously, the charge that flows towards y =  $\frac{\Delta q}{4} + \frac{\Delta q}{4} = \frac{\Delta q}{2}$ .

$$V_x - V_y = i_{x \to y} R = \frac{\Delta q / 2}{\Delta t} R....(1)$$

Also, 
$$V_x - V_y = i_{total} R_{eq} = \frac{\Delta q}{\Delta t} R_{eq} \dots (2)$$

From (1) & (2), we have 
$$R_{eq} = \frac{R}{2}$$
.

Now, try to do this problem in similar manner by taking alternate route xaby. You are welcome to share your solution via comment.

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